

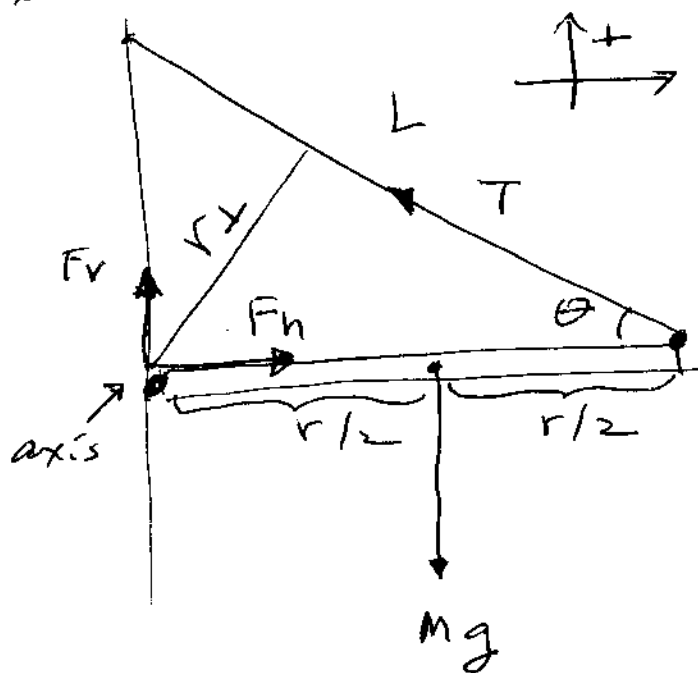
11-24.

Given: M = mass of stick
 r = length of stick
 L = length of string

~~Define θ~~

Define θ as shown
in diagram.

Goal: Tension in string
Force exerted at hinge



net force

$$F_{\text{net},x} = 0 = F_h - T \cos \theta$$

$$F_{\text{net},y} = 0 = F_v + T \sin \theta - Mg$$

$$\therefore \left. \begin{aligned} F_h &= T \cos \theta \\ F_v &= Mg - T \sin \theta \end{aligned} \right\} \begin{array}{l} \text{need to} \\ \text{find } T \end{array}$$

net torque

$$\sum \tau_{\text{net}} = Tr_{\perp} - Mg \frac{r}{2}$$

$$0 = T / \sin \theta - Mg \frac{r}{2}$$

$$\therefore T = \frac{Mg}{2 \sin \theta}$$

combine with net force results

$$F_h = T \cos \theta = \frac{Mg}{2 \tan \theta}$$

$$F_v = Mg - T \sin \theta = Mg - \frac{Mg}{2} = \frac{Mg}{2}$$

Checks

F_v is independent of θ and always equal to half the weight. Note that the vertical component of T is always $\frac{Mg}{2}$ as well. This makes sense to maintain the meter stick horizontal.

Checks, can't.

For $\theta = 0$, $T \rightarrow \infty$. The string can't hold the stick horizontal w/o a vertical component of force.

For $\theta = 90^\circ$, $T = \frac{Mg}{2}$. This makes sense based on a previous check.